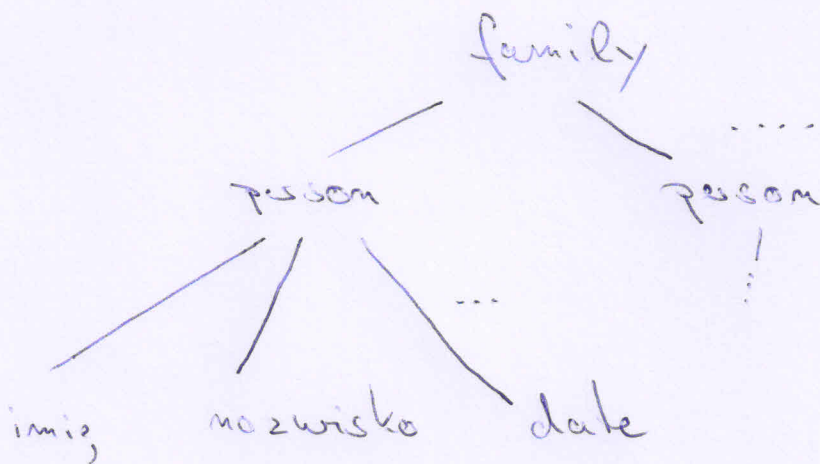


§4 Programowanie z tomami

(2)

4.1 Informacje w bazach danych



family (

person (tom, smith, date (7, may, 1950), unemployed),

person (anne, smith, date (8, may, 1955),

works (IBM, 200.000),

[person (jack, smith, date (15, april, 1980), unemployed),

person (pete, smith, date (28, nov, 1983), unemployed)]

obiekty (informacje) na podstawie struktury:

family (-, X, [-, -, -]).

family (person (Name, Surname, -, -), -, [-]).

wife (x) :- family (-, x, -).

child (x) :- family (-, -, Children),
member (x, Children).

date-of-birth (person (-, -, Date, -), Date).

salary (person (-, -, -, works (-, S)), S).

salary (person (-, -, -, unemployed), 0).

total ([], 0).

total ([Person | R], Sum) :-

salary (Person, S),

total (R, S1),

Sum is S + S1.

? - family (+1, W, C),

total ([+1, W | C], Income).

Data Abstraction

husband (family (Husband, -, -), Husband).

children (family (-, -, Children), Children).

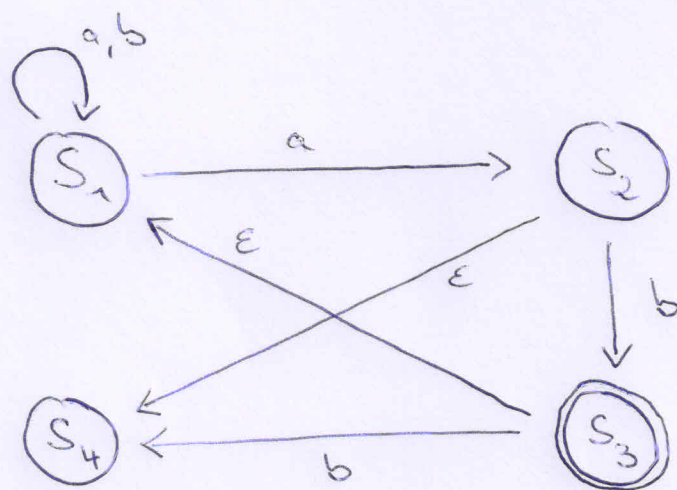
firstchild (Family, FirstChild) :-

children (Family, [FirstChild | _]).

↳ "konstruktory"

$\text{firstname}(\mathcal{F}_1, \text{tom}), \text{surname}(\mathcal{F}_1, \text{smith}),$
 $\text{firstname}(\mathcal{F}_2, \text{pete}), \text{surname}(\mathcal{F}_2, \text{smith}),$
 $\text{husband}(\text{Family}, \mathcal{F}_1),$
 $\text{secondchild}(\text{Family}, \mathcal{F}_2).$

4.2 Automaty



predykaty: $\text{final}(S),$
 $\text{trans}(S_1, X, S_2),$
 $\text{silent}(S_1, S_2)$

$\text{final}(S_3).$

$\text{trans}(S_1, a, S_1).$

$\text{trans}(S_1, a, S_2).$

⋮

$\text{silent}(S_3, S_1).$

$\text{silent}(S_2, S_4).$

accepts (State, [1]) :- final (State).

accepts (State, [x|R]) :-
trans (State, x, State1),
accepts (State1, R).

accepts (State, String) :-
silent (State, State1),
accepts (State1, String).

? - accepts (s1, [a,a,a,b]).
yes

? - accepts (S, [a,b]).
S = s1;
S = s3

? - accepts (s1, [x1,x2,x3]).

4.3 Problem 8 hetmanów

? - solution (Positions).

Positions = [1/4, 2/2, 3/7, 4/3, 5/6, 6/8, 7/5, 8/1]

L → [1/γ1, 2/γ2, ..., 8/γ8]

bardziej ogólne niż 8×8 !

(5)

(i) zero hetmanów
pusta lista jest rozwiązaniem

(ii) $[x/y | \text{others}]$

- nie ma ataku w others , czyli others jest rozwiązaniem
- $x, y \in \{1, \dots, 8\}$
- hetman w x/y nie atakuje hetmana w others

solution ($[]$).

solution ($[x/y | \text{others}]$):-

- solution (others),
- member ($y, [1, 2, 3, 4, 5, 6, 7, 8]$),
- noattack ($x/y, \text{others}$).

noattack ($+1, +1\text{List}$)

(i) zero hetmanów ($+1\text{List} = []$)

True

(ii) $[+1 | +1\text{List}]$

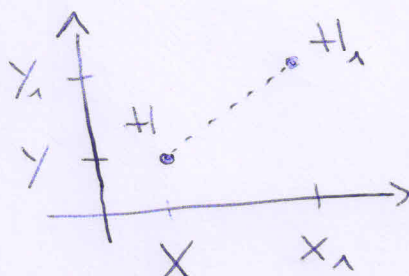
- $+1$ nie atakuje $+1$
- $+1$ nie atakuje hetmana w $+1\text{List}$

(iii) H nie atakuje H_1 , jeżeli

(6)

- Y i Y_1 są różne

- odległość w kierunku X i odległość w kierunku Y są różne.



$moAttack(-, [])$.

$moAttack(x/y, [x_1/y_1 | others]) :-$

$$y = 1 = y_1,$$

$$y_1 - y = 1 = x_1 - x,$$

$$y_1 - y = 1 = x - x_1,$$

$moAttack(x/y, others)$.

$template([1/y_1, 2/y_2, \dots, 8/y_8])$.

? - $template(Pos), solution(Pos)$.

$Pos = [\dots]$;

$Pos = [\dots]$;

\vdots